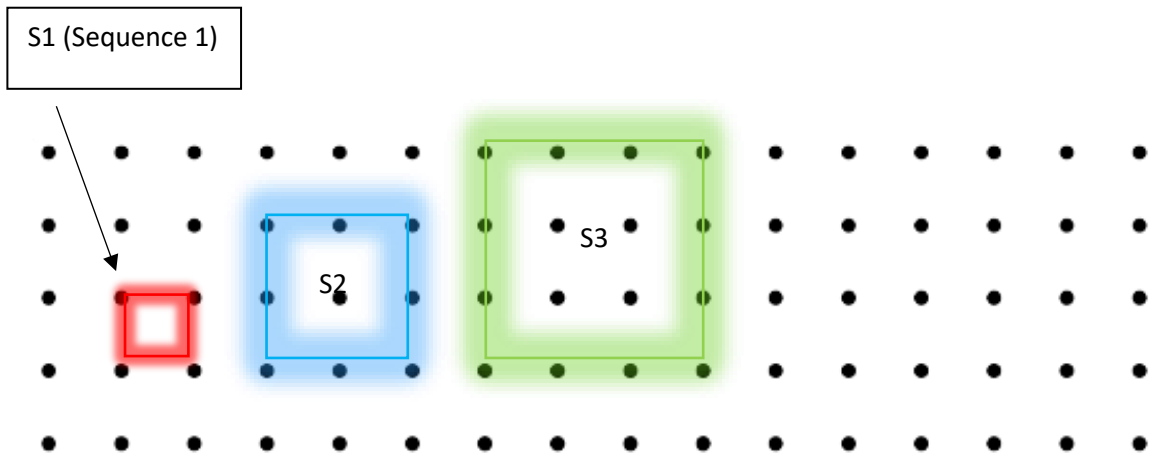


We had an idea that each shape has a set of formulas that determine the variables. We started off with squares and soon discovered multiple rules:



(Just remember, the side is always the amount of dots, not lines).

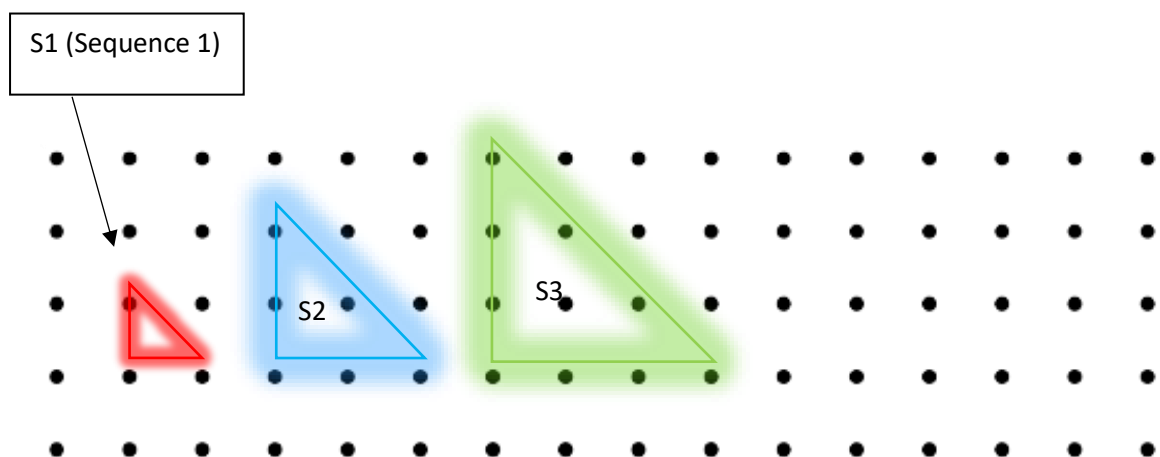
The sequence is the pattern of squares. For example, a 1 x 1 square would be S1, a 2 x 2 square would be S2, and so on.

$$\text{Area (a)} = (\text{height} - 1)^2$$

$$\text{Perimeter (p)} = \sqrt{a} \times 4$$

$$\text{Interior (i)} = (S [\text{Sequence}] - 1)^2$$

We named this sequence the “Golden rule”, and tried to do the same for other shapes, such as triangles, however found there was a different “Golden rule” for each shape:



$$\text{Area} = \text{Height}^2 \div 2$$

(We know that the perimeter is  $\frac{3}{4}$  of the corresponding square)

Example: The S3 square has a perimeter of 12, and the perimeter of the S3 triangle is 9.

Perimeter = perimeter of (the corresponding square of that triangle) \*  $\frac{3}{4}$

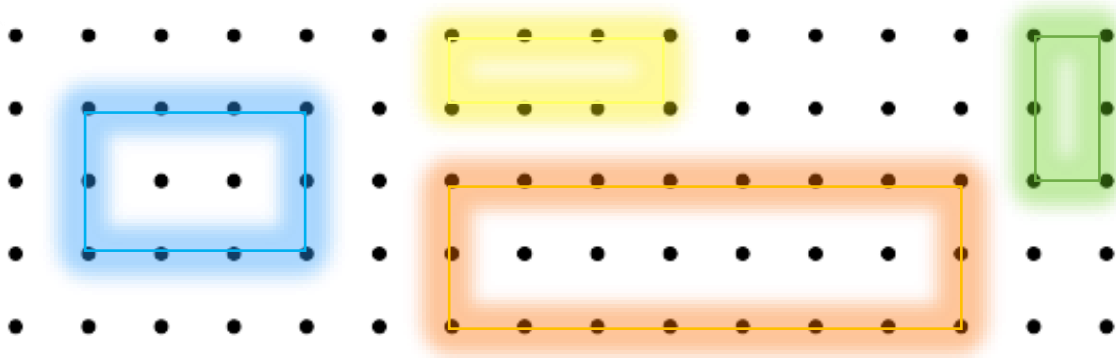
Interior = (S-3) + (tr [p]) + (tr [i]) (obtain the sequence three less your triangle and add it's perimeter and interior).

Tr = Triangle

P = Perimeter

I = Interior

## Rectangles:



$$\text{Area} = (L-1) \times (W-1)$$

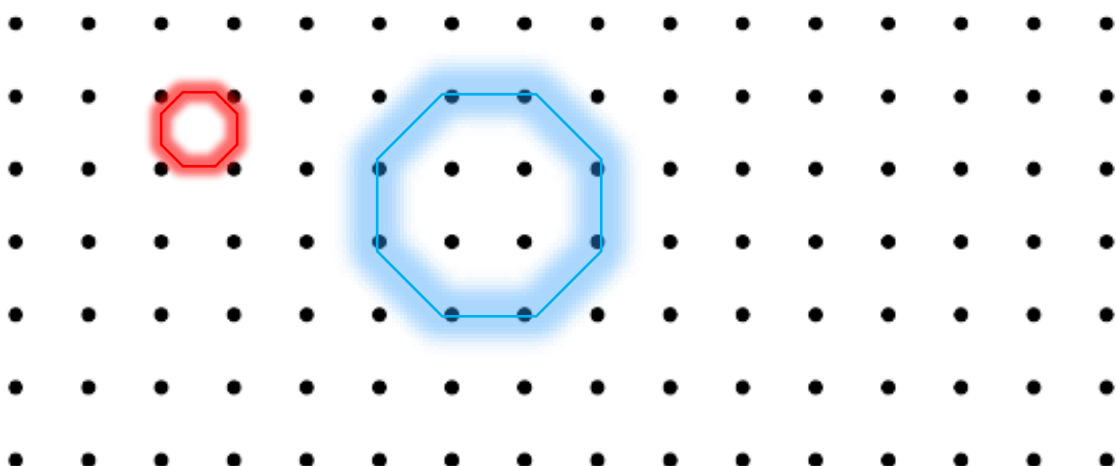
$$\text{Perimeter} = (W \times 2) + ((L-2) \times 2)$$

$$\text{Interior} = (L-2) \times (W-2)$$

L: Length (counting the dots)

W: Width (counting the dots)

## Octagon:



$$\text{Area} = ([Os - 1] \times 3)^2 - ([Os - 1] \times 2)$$

**Os: 1 octagon side**

$$\text{Perimeter} = ([Os - 1] \times 8)$$

$$\text{Interior} = \text{Interior of } ([Os - 1] \times 3)^2 - \text{Interior of } ([Os - 1] \times 2)$$