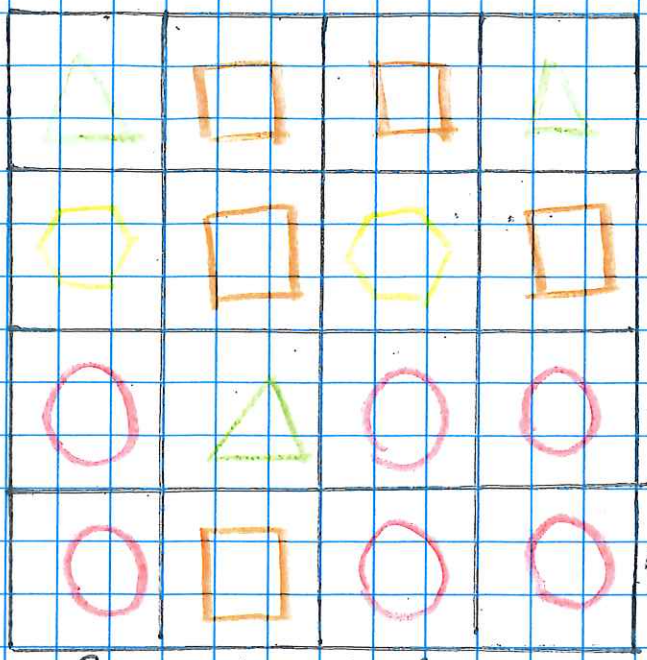


Symbol abbreviations

○ → c

⬡ → h

△ → t

□ → s

In the 3rd row, I first noticed that $3c + t = 18$

I used the process of elimination

$c < 6$ because $6 \times 3 = 18$ → must also at t but no space for t

c=5	c=4	c=3	c=2	c=1
t=3	t=6	t=9	t=12	t=15

I couldn't be sure of which solution it was, so I

moved to the 2nd column where $3s + t = 30$.
(largest possible)

From the data above, if $t = 15$, $3s$ must be ≥ 5
but also ≤ 10 since
$10 \times 3 = 30$

s=5	s=6	s=7	s=8	s=9
t=15	t=12	t=9	t=6	t=3

I repeated this for the bottom row. But $3c + t = 18$ and $3c + s = 20$ so s is 2 more than t.

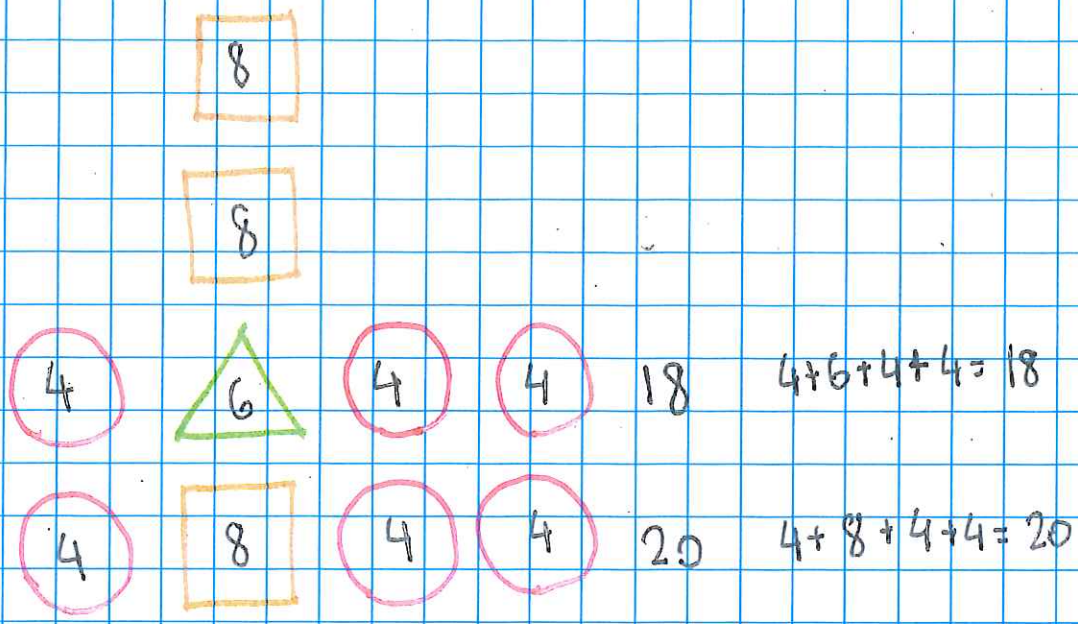
c=5	c=4	c=3	c=2	c=1
s=5	s=8	s=11	s=13	t=17

$s = 20 - 3c$

I noticed that there were 3 pairs in each row of data that linked to each other.

c=4	s=8	c=4
t=6	t=6	s=8

So I tried to substitute these values into the grid



It works!

Then I needed to find the value of h

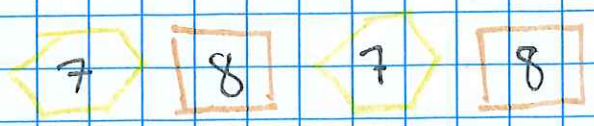
$2h + 2s = 30$

There are 2 squares with equal value so:

$30 - 2(8) =$
$30 - 16 = 14$

There are also 2 hexagons with equal value so:

$\frac{14}{2} = 7$, therefore each hexagon has a value of 7



30 $7+8+7+8=30$

therefore...

so...

?

$6+7+4+4=$

21