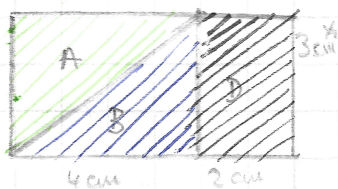
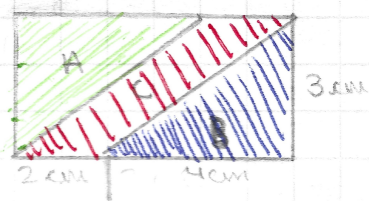


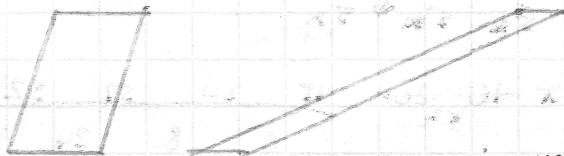
Area

Shear Magic



A) Can you use the two pictures below to work out the area of the parallelogram.

B) Here are two more parallelograms below to work out the area of the parallelograms.



Can you draw similar diagrams to work out their areas?

$$A = \frac{4 \times 3}{2} = 6 \text{ cm}^2$$

$$B = \frac{4 \times 3}{2} = 6 \text{ cm}^2$$

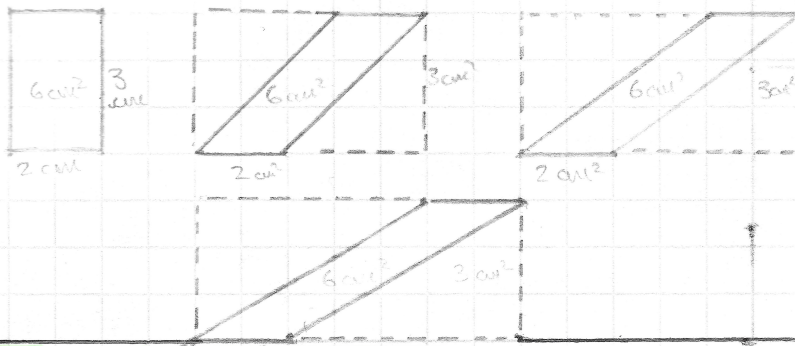
$$C = \frac{(6 \times 3)}{2} - \frac{(A+B)}{2} = 6 \text{ cm}^2$$

$$A = \frac{4 \times 3}{2} = 6 \text{ cm}^2$$

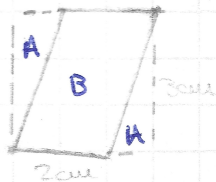
$$B = \frac{4 \times 3}{2} = 6 \text{ cm}^2$$

$$D = \frac{2 \times 3}{2} = 6 \text{ cm}^2$$

I have noticed, however wide you shear the rectangle, the area stays the same. I think this is because as the parallelogram is sheared the rectangle represented by the dotted line changes in width and height; the parallelogram keeps its same core measurements.



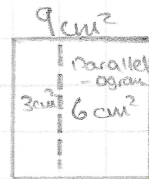
A general rule for solving the area of a parallelogram is base times height because the height is from the top point to the bottom, in this case 3 cm.



Another way of thinking about it is the concept a parallelogram is a rectangle

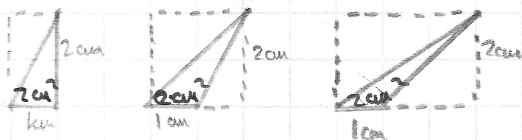


I have joined the 2 H's to form a smaller rectangle, with 3 cm²



If the whole area is 9, and the two H's are 3 cm², the parallelogram is 6 cm².

Also, a triangle always consists of 2 equal triangles, and as the formula would be $b \times h$, if there were 2 triangles, the formula would be $b \times h$, like a parallelogram.



A general rule for working out the area of a triangle is $\frac{b \times h}{2}$, and this rule works because a triangle is half a rectangle, which is $b \times h$, so thus the 1/2 when solving the area of a triangle.